

TB(2B) Ch. 9 Introduction to Deductive Geometry Conventional Questions

1. [11-12 Final Exam, #10]

In **Figure 3**, $AB \parallel DC$, AC intersects BD at E and $\angle ABE = \angle DCE$. F is a point on CD such that $EF \perp CD$.

- (a) Show that $CE = ED$. **(2 marks)**
 (b) If $\angle DCE = 60^\circ$ and $CE = 6$ cm, find the area of $\triangle CDE$. Leave your answer in surd form. **(4 marks)**

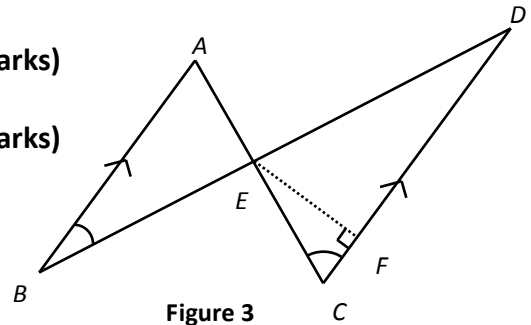


Figure 3

2. [12-13 Final Exam, #7]

In **Figure 3**, $AB \parallel DE$, $AB = 2$, $BC = \sqrt{x^2 - 4}$, $CE = 3x$, $DE = 6$, ACE and BCD are straight lines.

- (a) Prove that $\triangle ABC \sim \triangle EDC$. **(3 marks)**
 (b) Peter claims that both $\triangle ABC$ and $\triangle EDC$ are right-angled triangles. Do you agree? Explain your answer. **(3 marks)**

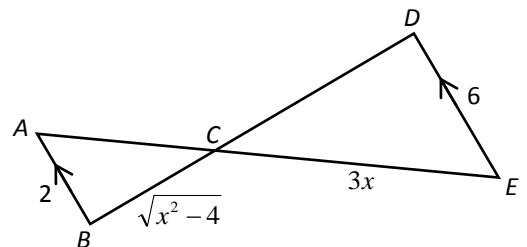


Figure 3

3. [13-14 Final Exam, #10]

In **Figure 3**, D is a point lying on AC such that $\angle ACB = \angle ABD$.

- (a) Prove that $\triangle ABC \sim \triangle ADB$. **(2 marks)**
 (b) Suppose $AC = 25$ cm, $AB = 20$ cm and $BD = 12$ cm. Prove that $\triangle ABD$ is a right-angled triangle. **(3 marks)**

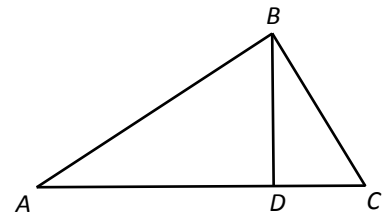


Figure 3

4. [14-15 Final Exam #13]

In **Figure 4**, M and N are points on AC and BC respectively such that $AC \times CM = BC \times CN$.

- (a) Show that $\triangle ABC \sim \triangle NMC$. **(2 marks)**
 (b) Using the result of (a),
 (i) if $\angle ABC = \angle BAC$, show that $\triangle NMC$ is an isosceles triangle. **(2 marks)**
 (ii) find $\angle ABC + \angle AMN$. **(2 marks)**

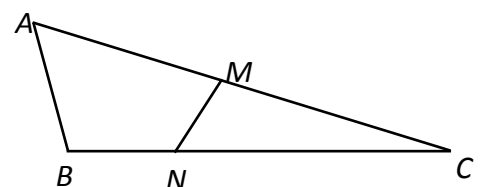


Figure 4

5. [15-16 Final Exam #5]

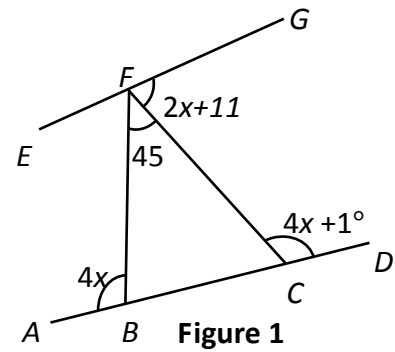
In **Figure 1**, $ABCD$ and EFG are straight lines, and $\angle BFC = 45^\circ$.

(a) Find x .

(2 marks)

(b) Prove that $AD \parallel EG$.

(2 marks)



~ End ~